

BAGALKOT UNIVERSITY

Mudhol Road, Jamkhandi – 587301 Dist: Bagalkote

PROGRAM /COURSE STRUCTURE AND SYLLABUS of MATHEMATICS

IV SEMESTER

Bachelor of Science (MATHEMATICS)

As Per NEP – 2020 and Adapted from RCU Belagavi Applicable from the Academic Year 2024-25

| SEMESTER-IV | | | | | | | | | | | |
|-------------|-----------------------|--|-------------|----|-------|----------------------------|-----------------|---------|--------|-----------------|--|
| Category | Course code | Title of the Paper | Marks | | | Teaching hours/we ek | | | | Durati on of | |
| | | | IA SEE Tota | | Total | L | Т | Р | Credit | (Hrs) | |
| L7 | | Kannada Functional Kannada | 40 | 60 | 100 | 4 | - | - | 3 | 2 | |
| | | English Hindi | | | | | | | | | |
| L8 | | Sanskrit Arabic | 40 | 60 | 100 | 4 | - | - | 3 | 2 | |
| | | Urdu | | | | | | | | | |
| DSC4 | 126BSC04MATDSC07T | Partial Differential Equations and Integral Transforms | 40 | 60 | 100 | 4 | - | - | 4 | 2 | |
| | 126BSC04MATDSC08L | Partial Differential Equations and Integral Transforms | 25 | 25 | 50 | _ | _ | 4 | 2 | 4 | |
| DSC4 | Another Department | Another Department | 40 | 60 | 100 | 4 | - | - | 4 | 3 | |
| DSC4 | Code | Course Title | 25 | 25 | 50 | - | - | 4 | 2 | 3 | |
| SEC | 126COM03XXXSEC03T | Artificial Intelligence | 20 | 30 | 50 | 1 | - | 2 | 2 | 2 | |
| VBC7 | 126COM04XXXVBC08B | Yoga/ Sports | 25 | - | 25 | - | - | 2 | 1 | - | |
| VBC8 | 126COM03XXXVBC09B | H&W, /NCC/N SS/R&R/CA | 25 | - | 25 | - | - | 2 | 1 | _ | |
| Total Marks | | | | | 600 | Ser Ci | meste redits | er S | 22 | | |

SEMESTER – IV

| Year | II | Course Code: | | | Credits | 04 | | | | |
|--|-------|--|------------------------------|--------------------------|-------------|----|--|--|--|--|
| | | - 126BSC04MATDSC07T | | | | | | | | |
| Sem. IV | | | <u>Course Title:</u> | | Hours | 56 | | | | |
| Partial Differential Equations and Integral Transforms | | | | | | | | | | |
| Course Pre-requisites, if | | | NA | | | | | | | |
| any | | | ~ | | | | | | | |
| Formativ | re As | sessment | Summative | Duration of ESA: 02 | 2 hrs. | | | | | |
| Marks: 4 | 0 | | Assessment Marks:60 | | | | | | | |
| | | Course Learr | ning Outcomes: This cours | se will enable the stude | ents to | | | | | |
| | | • Solve the Partial Differential Equations of the first order and second | | | | | | | | |
| Cours | | order | | | | | | | | |
| Outcon | | • Formulate, classify and transform partial differential equations into | | | | | | | | |
| Outcon | les | canonical form. | | | | | | | | |
| | | • Solve linear and non-linear partial differential equations using various | | | | | | | | |
| | | methods; | and apply these methods t | o solving some physic | al problems | 5. | | | | |
| | | • Able to take more courses on wave equation, heat equation, and Laplace | | | | | | | | |
| | | equation. | | | | | | | | |
| | | • Solve PD | E by Laplace Transforms a | and Fourier Transforms | 5 | | | | | |
| Unit N | lo. | | Course Content | t | Hours | 5 | | | | |
| | | Basic concept | s-Formation of a partial | differential equations | | | | | | |
| | | by elimination | | | | | | | | |
| | | of partial differential equations – Solution by Direct | | | | | | | | |
| Unit | Ι | integration, La | 14 | | | | | | | |
| | | = R , Standard types of first order non-linear partial | | | | | | | | |
| | | differential equations, The integrals of the non-linear | | | | | | | | |
| | | equation by C | | | | | | | | |
| Unit II | | Homogeneous | s linear partial differen | tial equations with | | | | | | |
| | | constant coefficients. Partial differential equations of the | | | | | | | | |
| | | second order. Classification of second-order partial | | | | | | | | |
| | | differential equations, canonical forms. Classification of 14 | | | | | | | | |
| | | second order linear equations as hyperbolic, parabolic, and | | | | | | | | |
| | | elliptic. Solutions of the Heat equation, Laplace equation and | | | | | | | | |
| | | wave equation (using separation of variables). | | | | | | | | |
| | | Laplace Trai | | | | | | | | |
| | | Periodic functions. Laplace transform of derivative and | | | | | | | | |
| Theit T | тт | integral of | 14 | | | | | | | |
| Unit III | | function Convolution theorem Inverse Lanlace transforms | | | | | | | | |
| | | and its proper | ties Solution of differentia | al equations by using | | | | | | |
| | | Laplace transforms. | | | | | | | | |
| | | Laplace transforms. | | | | | | | | |

| Unit IV | hit IV Fourier Cosine and Sine transforms: Periodic functions. Fourier fourier Coefficients. Fourier series of functions with period 2π and period $2L$. Fourier series of even and odd functions. Half range Cosine and Sine series. Fourier Transforms - Finite Fourier Cosine and Sine transform. Transforms of derivates. Applications of Fourier Transforms. | | | | |
|--------------------|---|---|--|--|--|
| | Recommended Leaning Resources | | | | |
| Print Resources | References: 1. D. A. Murray, Introductory Course in Differential Equation Longman 2. H. T. H.Piaggio, Elementary Treatise on Differential Equations, CBS Publisher & Distributors, Delhi,1985. 3. G. F. Simmons, Differential Equations, Tata McGraw Hill. 4. S. L. Ross, Differential Equations, 3rd Ed., John Wiley at 2004. 5. M. D. Raisinghania, Ordinary Differential Equation Differential Equations, S. Chand & Company, New Delhi. 6. K.Sankara Rao, Introduction to Partial Differential Equation Edition, 2015. 7. I. N. Sneddean, Elements of Partial differential McGraw-Hill International Editions, 1986. 8. R. Murray and L. Spiegal (Schaum's Series), Laplace Trans 9. Goel and Gupta, Laplace Transform. 10. Sudhir Kumar, Integral Transform Methods in Science & CBS Engineering Series, 2017. 11. Murray R. Spiegal L, Fourier Transforms, Schaum' Series, 12. Earl David Rainville and Philip Edward Bedient–A sl Differential Equations, Prentice Hall College Div; 6th Edition, 13. Sathya Prakash, Mathematical Physics, S Chand and Sons, | ons, Orient and ations and their and Sons, India, ans & Partial ons: PHI, Third al equations, sforms & Engineering, hort course in on. New Delhi. | | | |

| Year | II | Course C | Code: 126BSC04M | ATDSC | 08L | Cred | lits | 02 |
|---|----------------------------------|-----------|------------------|-------|-------|---------|------|-----|
| | | Course | Title: Practical | s on | Part | | | |
| Sem. | IV | Different | hai Equations | and | Integ | rai Hou | irs | 56 |
| Course Prei | Course Prerequisites, if any: NA | | | | | | | |
| Formative AssessmentSummative AssessmentDuration oMarks: 25Marks: 2503 hrs. | | | | | | of ES | SA: | |
| Course OutcomesCourse Learning Outcomes: This course will enable the students to • Learn Free and Open Source software (FOSS) tools or computer programming. • Solve problems on Partial Differential Equations and Integral Forms • To find Laplace transform of various functions. • To find the Fourier Transform of periodic functions. • To solve differential equations by using Integral transforms. | | | | | | | | |
| | | Co | ourse Content | | | | Hou | urs |
| Course ContentHoursPracticals/Lab Work to be performed in Computer LabPrograms using Scilab/Maxima/Python: Elements of Partial differential equations and Integral transforms using FOSS1. Solutions of Linear Partial differential equations of type-1 to type-4 and Lagrange's method2. Solutions of partial differential equation using Charpit's method.3. Solutions of Second order homogenous partial differential equation with constant coefficients.4. Solutions to the partial differential equations using separation of variables method (Heat/ Wave/Laplace).5. Finding the Laplace transforms of some standard and periodic functions.6. Finding the inverse Laplace transform of simple functions.7. Verification of Convolution Theorem.8. To solve ordinary linear differential equation using Laplace transform.9. To solve Integral equation using Laplace transform.10. To find full range Fourier series of some simple functions with period 2π and $2L$.11. To find Half range sine and cosine series of some simple functions and plotting them.12. To find. Cosina Equivar transforms | | | | | | | | |
| 12. To find Sine Fourier transforms | | | | | | | | |
| 15. TO find Shie Fourier transforms. | | | | | | | | |

Practicals

ASSESSMENT METHODS

Evaluation Scheme for Internal Assessment:

Theory:

| Assessment Criteria | Marks |
|--|-------|
| 1st Internal Assessment Test for 30 marks of duration 1 hr after 8 weeks and 2nd Internal Assessment Test for 30 marks 1 hr after 15 weeks. Average of two tests should be considered. | 30 |
| Assignment | 10 |
| Total | 40 |

Practical:

| Assessment Criteria | Marks |
|---|-------|
| Semester End Internal Assessment Test for 20 marks of duration 3 hrs. | 20 |
| Journal (Practical Record) | 5 |
| Total | 25 |